iQRL: Implicitly Quantized Representations for Sample-Efficient Reinforcement Learning Aidan Scannell, Kalle Kujanpää, Yi Zhao, Mohammadreza Nakhaei, Arno Solin, Joni Pajarinen

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Project website



Background Representation learning for RL

Encoder	$z_t = e_\theta(o_t)$
Dynamics	$\hat{z}_{t+1} = z_t + d_\phi(z_t, a_t)$
Reward	$\hat{r}_{t+1} = r_{\phi}(z_t, a_t)$
Critic	$q_t = Q_{\psi}(z_t, a_t)$
Policy	$a_t \sim \pi_\eta(a_t \mid z_t)$

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Latent-state consistency loss (representation learning)

$$\arg\min_{\theta,\phi} \sum_{h=t}^{t+H} \gamma^h \left(\frac{z_h + d_\phi(e_\theta(o_h), a_h)}{\|z_h + d_\phi(e_\theta(o_h), a_h)\|_2} \right)^\top \left(\frac{e_{\bar{\theta}}(o_{h+1})}{\|e_{\bar{\theta}}(o_{h+1})} \right)$$

Latent-state consistency with cosine similarity

Zhao et al. (2023). Simplified Temporal Consistency Reinforcement Learning. ICML.

1. Learn representation







Background Task-agnostic representations for RL

Rempowear Evolusist speed in Fran (?TCRL)

$$\arg\min_{\theta,\phi} \sum_{h=t}^{t+H} \gamma^h \left(\frac{z_h + d_\phi(e_\theta(o_h), a_h)}{\|z_h + d_\phi(e_\theta(o_h), a_h)\|_2} \right)^\top \left(\frac{e_{\bar{\theta}}(o_{h+1})}{\|e_{\bar{\theta}}(o_{h+1})\|_2} \right) + \left\| \left\| r_\phi(e_\theta(o_h), a_h) - r_{h+1} \right\|_2^2 \right)^\top$$

But representation collapse...

$$e_{\theta}(o) = \text{const} \quad \forall o \in \mathcal{O}$$



Representation is task specific!

1. Learn representation











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iQRL Model-free RL in latent space

Observation

Encoder

Quantization

Latent transition

Model-free RL in latent space





iQRL Representation learning





Encoder
$$z_t = f(e_{\theta}(o_t))$$

Finite Scalar Quantization
Dynamics $\hat{z}_{t+1} = f(z_t + d_{\phi}(z_t, a_t))$

Latent-state consistency loss

$$\arg\min_{\theta,\phi} \sum_{h=t}^{t+H} \gamma^h \left(\frac{f(\hat{z}_h + d_\phi(\hat{z}_h, a_h))}{\|f(\hat{z}_h + d_\phi(\hat{z}_h, a_h))\|_2} \right)^{\mathsf{T}} \left(\frac{f(e_{\bar{\theta}}(\phi_{h+1}))}{\|f(e_{\bar{\theta}}(\phi_{h+1}))\|} \right)$$

Momentum encoder $\bar{\theta} \leftarrow (1 - \tau)\bar{\theta} + \tau\theta$



iQRL Algorithm

- i. For *i* in number of episodes
 - i. Collect trajectory $\tau_i = \{o_t, a_t, o_{t+1}, r_t\}_{t=0}^{I}$
 - ii. Add trajectory to replay buffer $\mathcal{D} \leftarrow \mathcal{D} \cup \tau_i$
 - iii. For $T \times r_{utd}$ steps
 - i. Sample batch from replay buffer \mathscr{D}
 - ii. One encoder update
 - iii. One critic update
 - iv. One actor update







Finite Scalar Quantization

Vector Quantization





FSQ does not learn a codebook

It's pre-specified by hyperparameters

Finite Scalar Quantization







Finite Scalar Quantization





FSQ



Results Strong Performance in DMControl





Results FSQ (Empirically) Prevents Dimensional Collapse









Results **Reward Prediction Helps a Little**

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Hyperparameter Analysis **Robust to Codebook Size**



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Hyperparameter Analysis Robust to Size of Latent State





Further Insights Reconstruction Loss Harms Performance









Further Insights Projection Head Harms Sample Efficiency





Further Insights Momentum Encoder > Stop Gradient







Further Insights Reward Head (Only) Improves a Little





Insights and Takeaways

iQRL

- Straightforward
- Compatible with any model-free RL algorithm
- Fast (no decision-time planning)
- Strong performance in DMControl
- Representation is task agnostic
- Quantization (empirically) prevents dimensional collapse \bullet

Insights

- Learning a high-dimensional latent state (d=512/1024) makes Q-learning easier...
- Difficulty of Q-learning is due to complex dynamics, not high-dimensional observations





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